

Can We Observe the
Quark Gluon Plasma
in Cosmic Ray Showers ?

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Outline.

- conditions for QGP creation in cosmic ray interactions
- QGP model & simulation
- detection
- observable effects
- conclusions

Conditions for QGP Creation in CR

at the knee region ($5 \times 10^5 \div 10^8 \text{ GeV}$)

possible interactions $Fe^{56} - N^{14}$ and $Fe^{56} - O^{16}$

small baryon density - half of that in $Pb-Pb$ interactions

however the energy density ϵ from Bjorken's expression

$$\epsilon = \frac{\Delta E / \Delta y}{\pi R^2 \tau},$$

R ... radius of N^{14} or O^{16} nucleus

τ ... the formation time ($1 \div 2 \text{ fm}/c$)

E ... the c.m.s. energy of the final state particles

y ... the rapidity near $y_{cms} = 0$

two-flavour QGP ... $150 \text{ MeV} < T_c < 200 \text{ MeV}$

\sim critical energy density ...

$$0.8 \text{ GeV fm}^{-3} < \epsilon_c < 2.5 \text{ GeV fm}^{-3}$$

VENUS simulations of $Fe^{56} - N^{14}$ give

$$\epsilon = 3.3 \text{ GeV fm}^{-3} \text{ at } E_{inc} = 10^{15} \text{ eV and } b < 2 \text{ fm}$$

$$\epsilon = 4.9 \text{ GeV fm}^{-3} \text{ at } E_{inc} = 10^{16} \text{ eV and } b < 2 \text{ fm}$$

QGP Model

The key factor is ...

number of interacting nucleons N_{int}

if sufficiently high ... N_{hot} of them melt down

the energy E_{hot} is used to produce

N_{hot} nucleons + $n(\pi^\pm$ and $\pi^0)$

... all with Boltzmann distributed kinetic energy and isotropic momenta in c.m.s.

pions are generated until $E_{hot} < 2.5 \text{ GeV}$, all generated particles passed to **CORSIKA** for further processing

$56 + (14 \text{ or } 16) - N_{hot}$ nucleons processed by

VENUS & CORSIKA

used values:

$N_{hot} = 10 \%$, 20% or 40% of N_{int}

with minimum values of $N_{int} = 15, 13$ and 19 nucleons

and

$\langle p^\pi \rangle = 60 \text{ MeV}, 120 \text{ MeV}, 300 \text{ MeV}$ or 1 GeV

in the following we shall denote e.g.

$QGP(0.1, 0.3)$... $\mathcal{R}_h \equiv N_{hot}/N_{int} = 0.1$ and

$\langle p^\pi \rangle = 300 \text{ MeV}$

QGP Model

if $N_{int} < limit$ then

use only VENUS

else if $N_{int} > limit$ then

generate QGP + use VENUS

end if

go to *next event*

2000 events generated for each combination of \mathcal{R}_h and $\langle p^\pi \rangle$

QGP Model

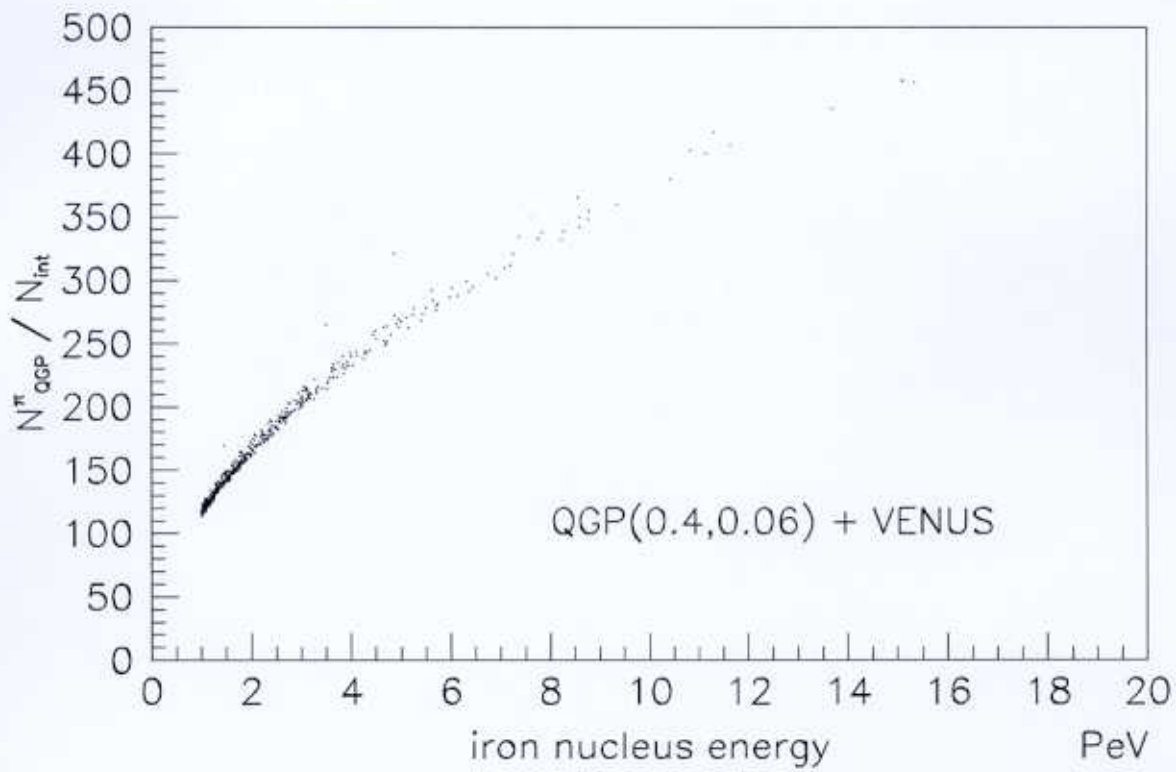
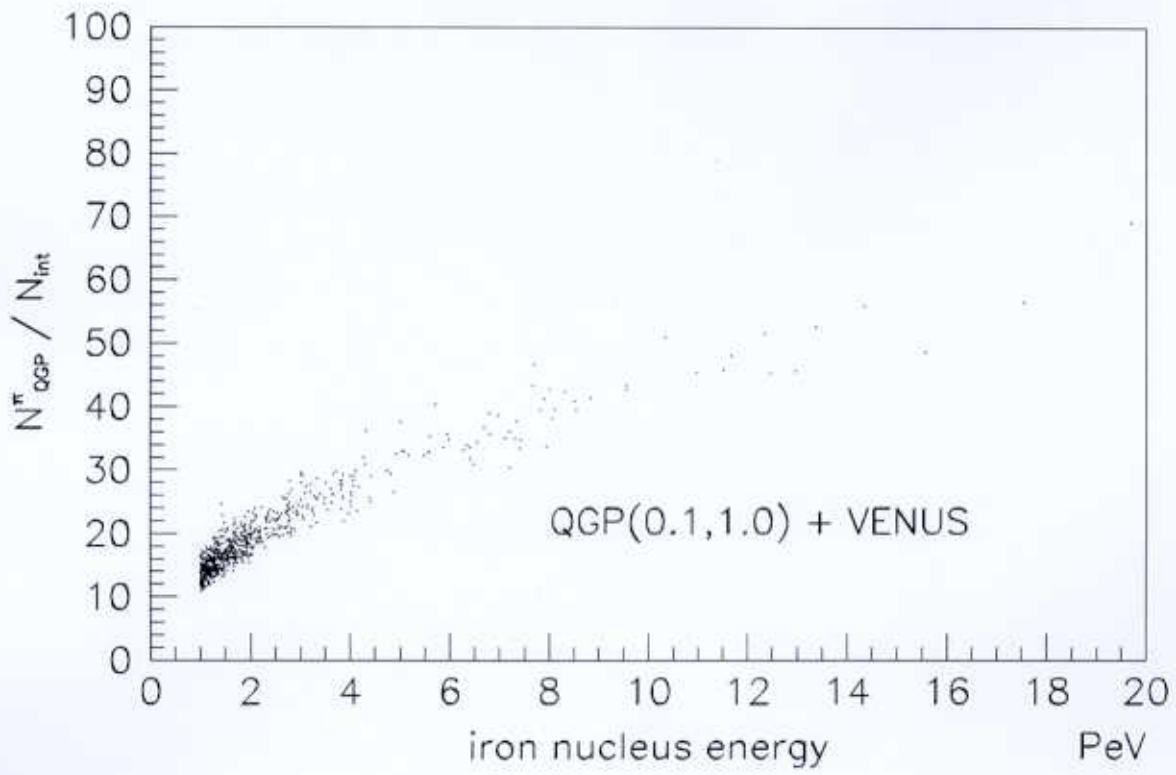
$\langle p^\pi \rangle$ <i>MeV</i>	\mathcal{R}_h ratio		
	0.1	0.2	0.4
60	1492 (880)	2743 (1717)	6764 (3802)
120	1389 (791)	2610 (1634)	6332 (3568)
300	1074 (680)	2165 (1398)	4918 (2614)
1000	674 (393)	1260 (825)	3093 (1808)

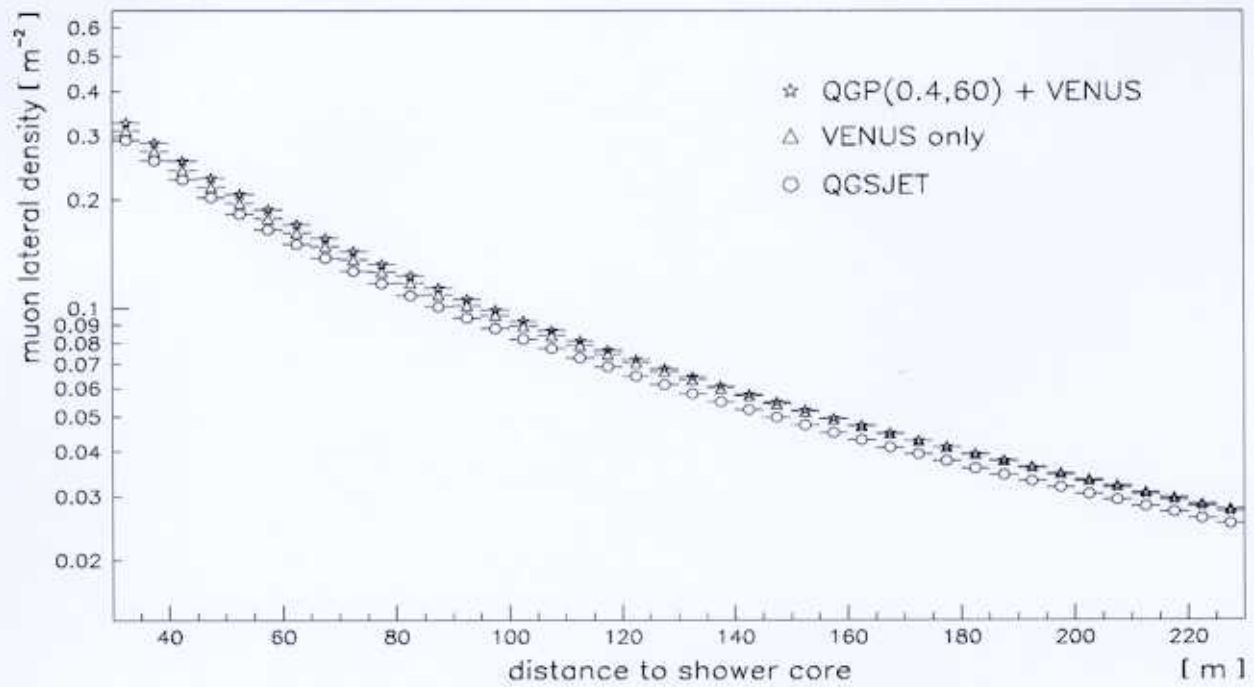
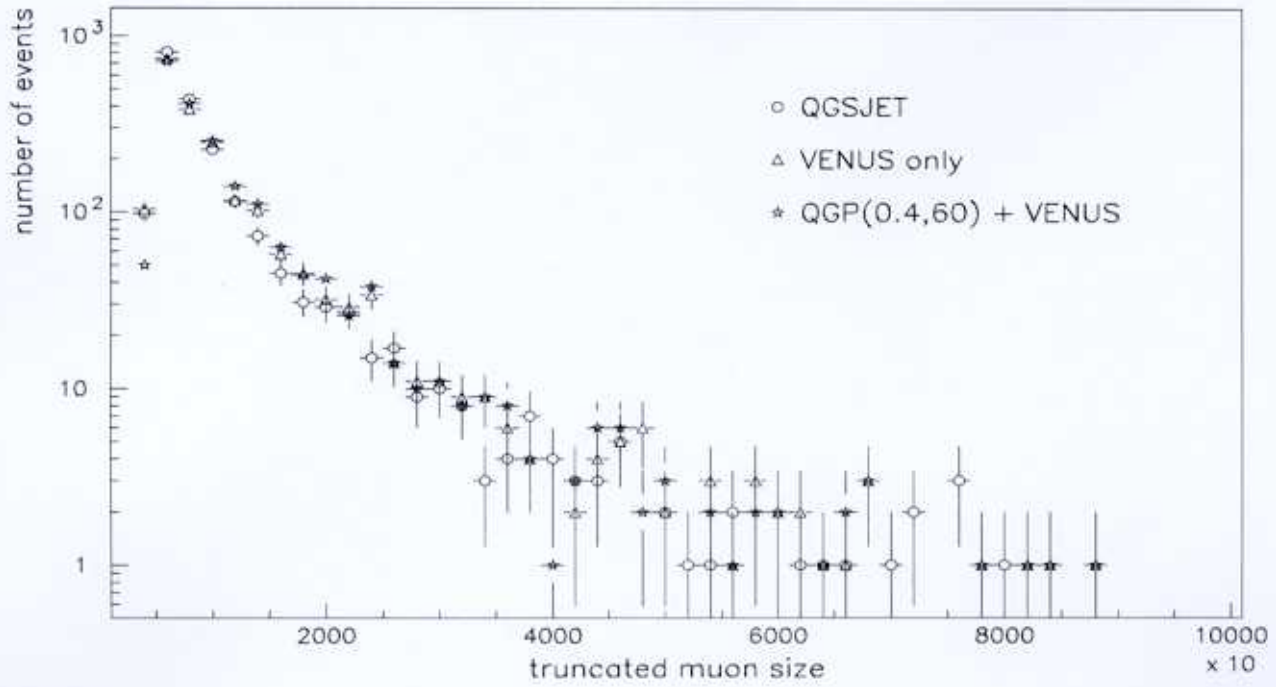
The mean numbers of pions (both π^\pm and π^0) produced in QGP. The figures given in the parentheses represent the R.M.S. values.

Some models predict even decrease of multiplicity. This simple approach corresponds to statistical thermal models.

at the knee energies we have in $Fe^{56} - N^{14}$ interactions
 $130 \div 600$ GeV per NN collision in c.m.s.

overlap with RHIC





Detection

π^0 electromagnetic cascades in the atmosphere

π^\pm significant part decays at high altitude $\pi \rightarrow \mu\nu$

..... decoupling from further cascade evolution, subjected to multiple scattering and ionization only

Due to Lorentz boost ... energetic muons

\implies ... detection underground

"virtual experiment" 110 meters underground - overburden

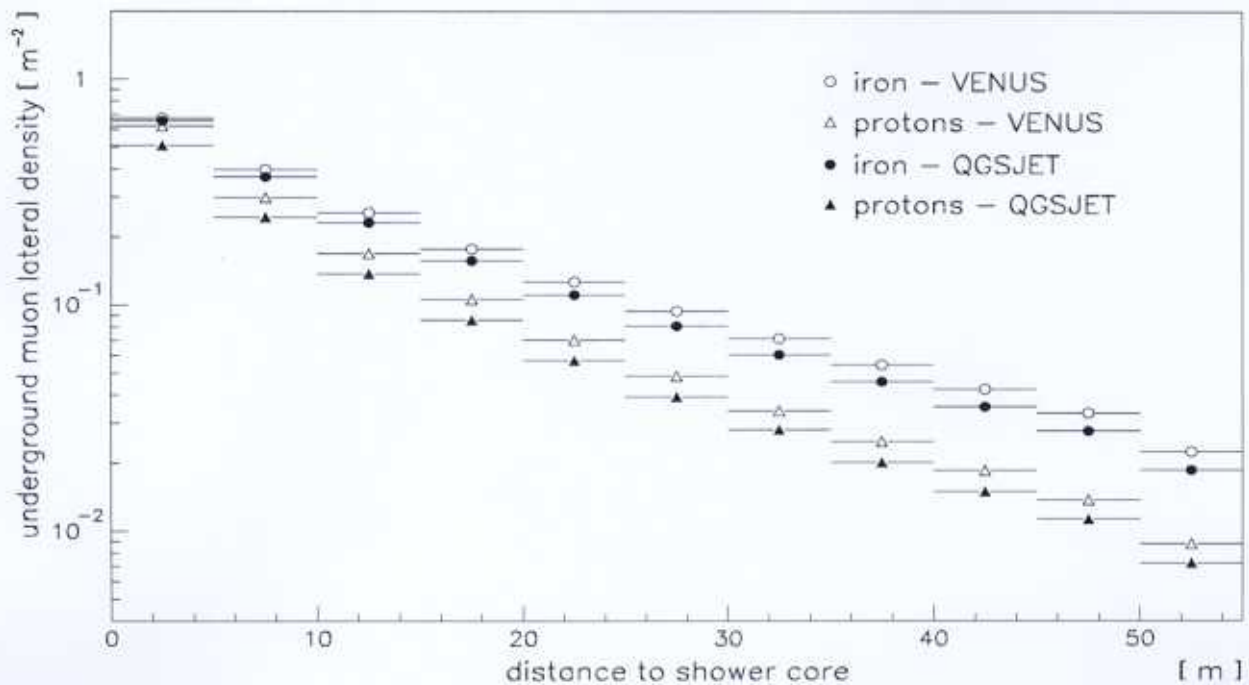
100 meters of standard rock, i.e.

$$A = 22, Z = 11, \rho = 2.65g/cm^3.$$

\implies ... cutoff 53 GeV

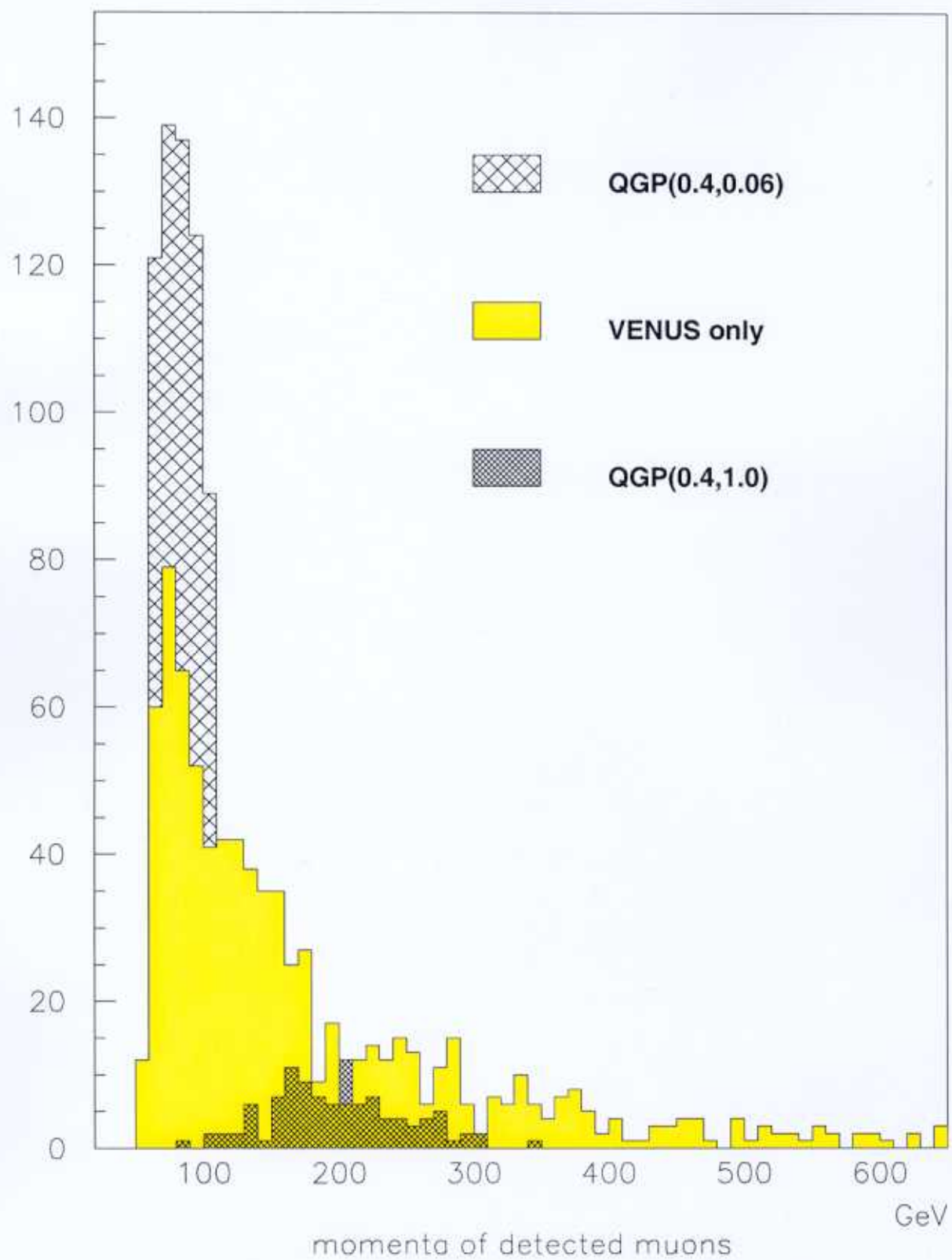
detection area $100 \times 100 m^2$ at 110 meters depth

Comparison of the Models Underground

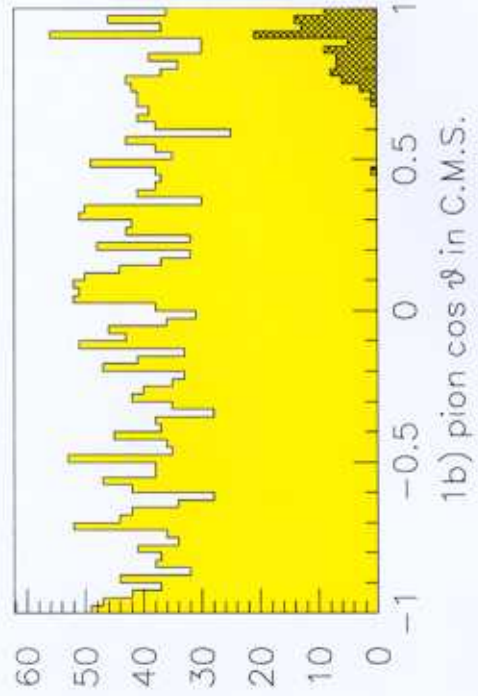
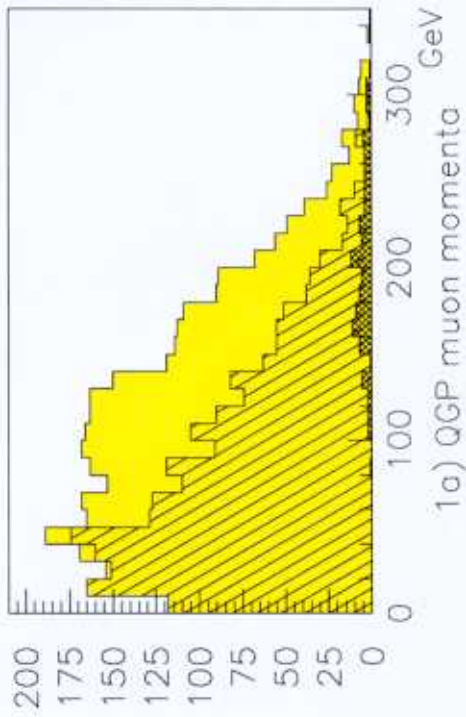


model	model only [GeV]	QGP + VENUS [GeV]
QGSJET	287.5 (265.5)	-
VENUS	287.2 (259.8)	-
QGP(0.4,0.06)	99.9 (31.1)	277.8 (225.8)
QGP(0.4,0.12)	105.0 (33.6)	277.9 (226.8)
QGP(0.4,0.3)	130.3 (41.4)	279.3 (232.6)
QGP(0.4,1.0)	234.5 (73.7)	282.2 (244.8)

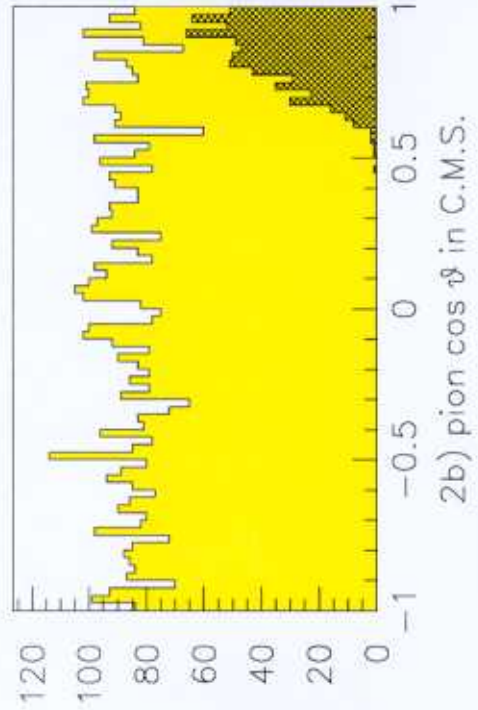
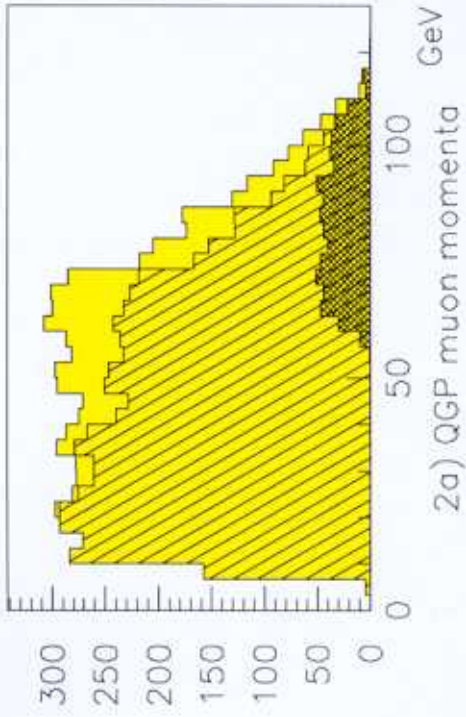
Mean Momenta of μ underground



QGP(0.4, 1.0)



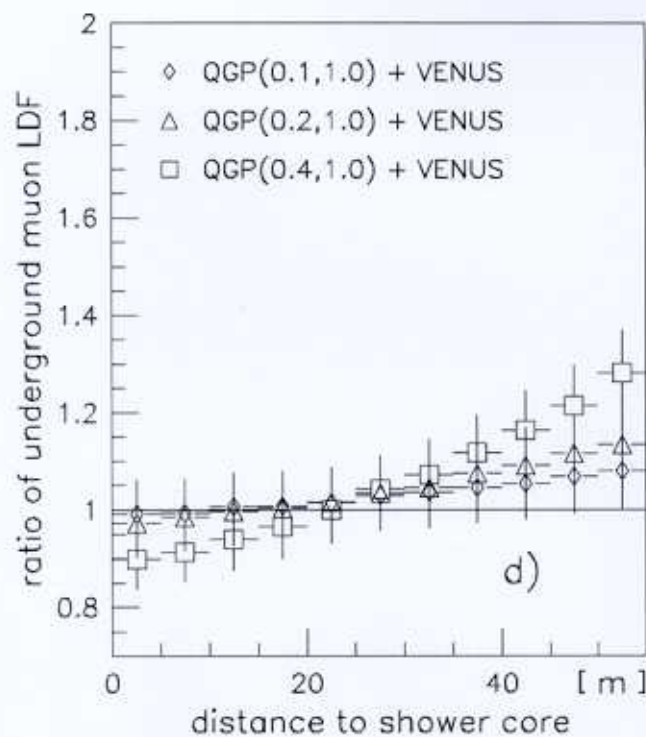
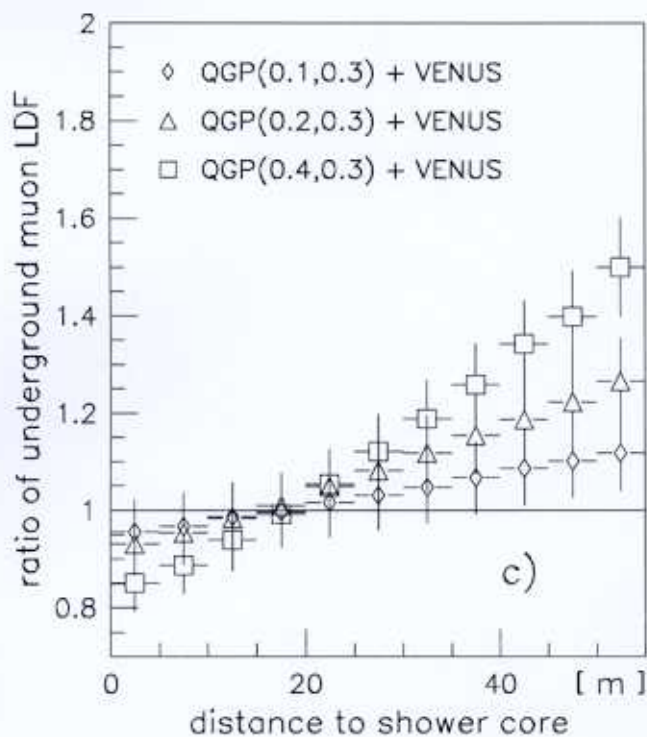
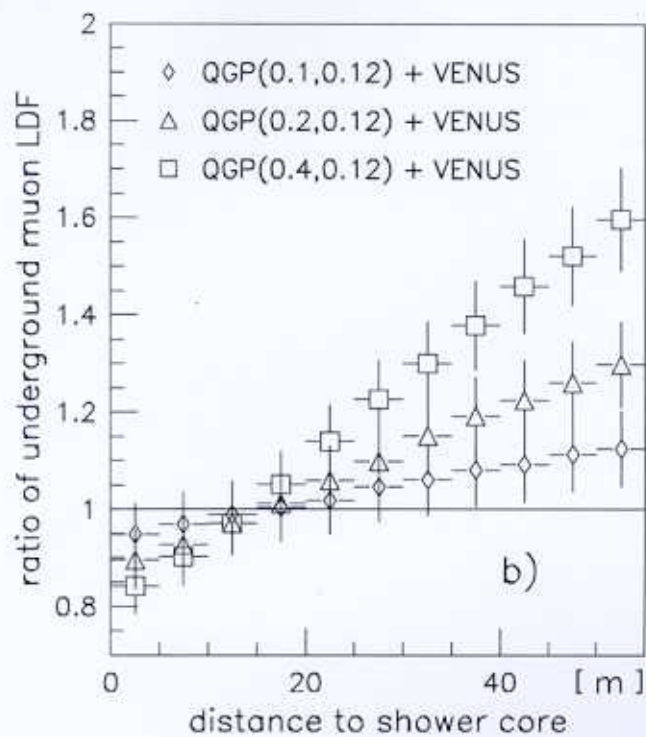
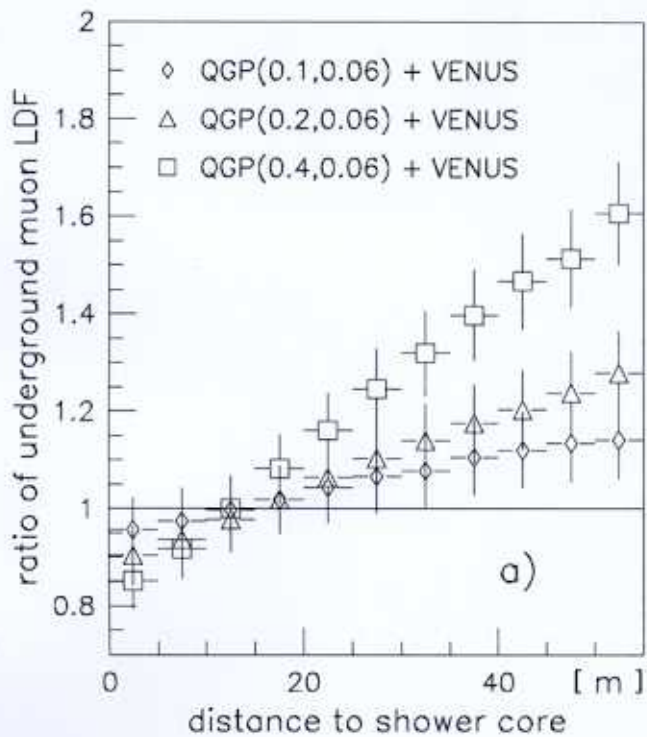
QGP(0.4, 0.06)

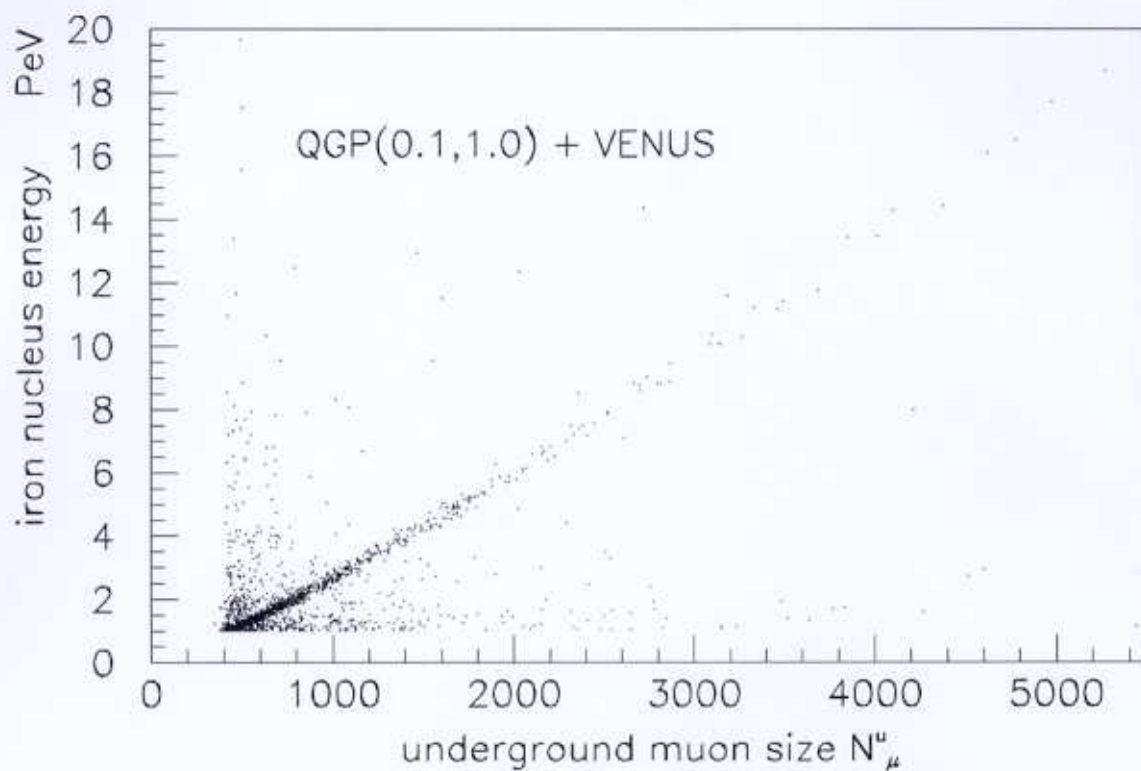
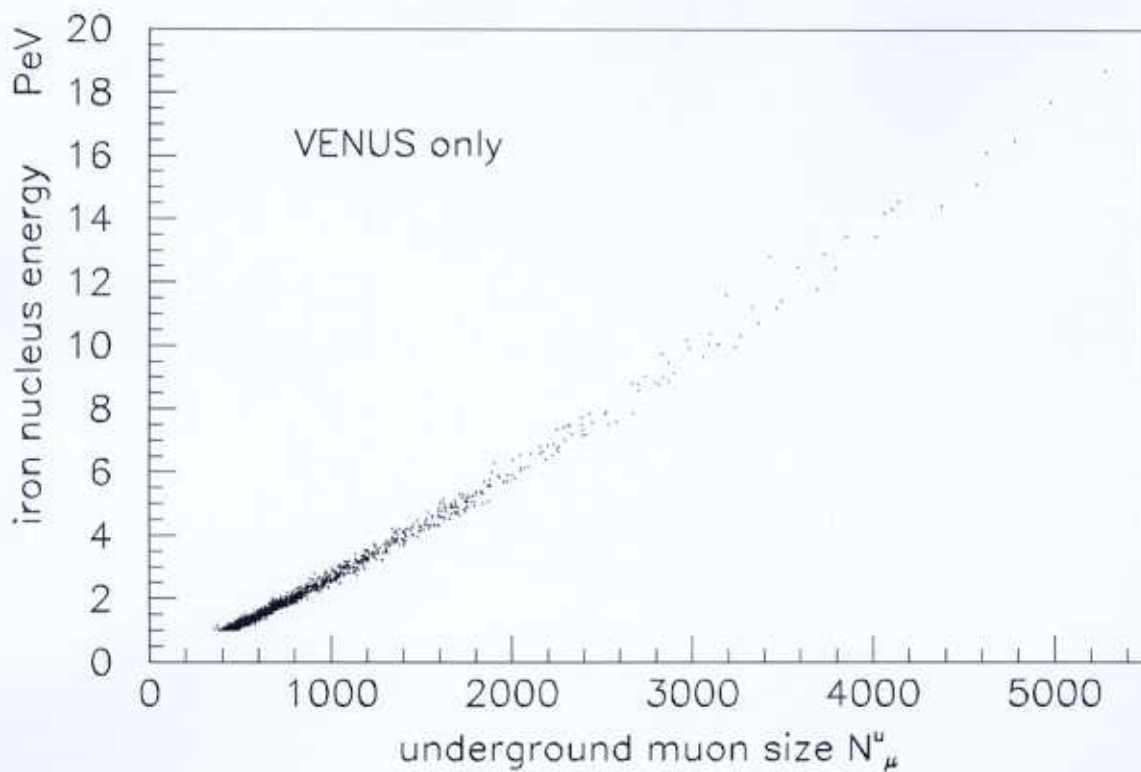


Comparison of the Models Underground

model	average N_{μ}^u	fraction of events with $N_{\mu}^u > 990$ (in %)
VENUS p	464	6.3 ± 0.6
QGSJET p	378	3.7 ± 0.4
VENUS Fe	807	20.1 ± 1.1
QGSJET Fe	709	13.6 ± 0.9
QGP(0.1,0.06)	849	21.8 ± 1.2
QGP(0.1,0.12)	843	21.7 ± 1.2
QGP(0.1,0.3)	829	20.4 ± 1.1
QGP(0.1,1.0)	819	20.4 ± 1.1
QGP(0.2,0.06)	868	23.4 ± 1.2
QGP(0.2,0.12)	871	22.9 ± 1.2
QGP(0.2,0.3)	867	22.5 ± 1.2
QGP(0.2,1.0)	809	19.3 ± 1.1
QGP(0.4,0.06)	967	27.0 ± 1.3
QGP(0.4,0.12)	955	26.5 ± 1.3
QGP(0.4,0.3)	904	24.3 ± 1.2
QGP(0.4,1.0)	835	22.0 ± 1.2

The average underground muon size N_{μ}^u of events and the fraction of events with $N_{\mu}^u > 990$. All QGP simulations were supplemented by VENUS.





QGP distorts the *energy* \sim *muon size* balance

→ *comparison of the event muon size at the ground and underground can indicate deviation from the standard scenario*

several factors contribute to the muon deficit:

$$N_{def} = k_{std} \cdot E_{hot} - q_{std}$$

$$N_{QGP} = (k_{QGP} \cdot E_{hot} - q_{QGP}) \cdot f_{det}$$

... & leading particle effect in standard interactions while f_{det} is small

→ $(N_{QGP} - N_{def})$ has positive intercept and negative slope

N_{hot} nucleons exempted from the rest of interaction

$56 - N_{hot}$ nucleons with the energy $E_{inc} \cdot (56 - N_{hot})/56$

Conclusions.

- QGP effects can be observed at medium depth underground at certain kinematical conditions
- QGP does not increase the muon density in the shower core
- well tuned high energy interaction models differ in description of hard muon component
- *simultaneous measurement on extended air showers both at surface and at medium depth underground is sensitive to the dynamics of the initial high energy interactions*

details: hep-ph/0012068